

How to read mathematical expressions

Addition

$1 + 3 = 4$	One plus three equals four; One and three make(s) four; The sum of one and three is four; One and three total four; One and three amount to three.
-------------	--

Subtraction

$10 - 5 = 5$	Ten minus five equals five; Five from ten leaves five; Taking five from ten gives five; Subtracting five from ten gives five.
--------------	--

Multiplication

$4 \times 2 = 8$	Four times two equals eight; Four multiplied by two equals eight; The product of four and two is eight; Twice four is eight.
------------------	---

Division

$9 \div 3 = 3$	Nine divided by three equals three.
$520 \div 37 = 14\frac{5}{37}$	Divide five hundred twenty by thirty-seven gives the quotient fourteen and five thirty-sevenths.

Decimal numbers

0.145	Zero point one four five
102.335	One hundred two point three three five
$3.\dot{3} \equiv 3.333\dots$	Three point three recurring
$1.0\dot{3}6\dot{3}$	One point zero three six three recurring

Note: When decimal numbers are repeating, they are called recurring, circulating, or repeating decimals.

Fractions

$\frac{1}{2}$	One half
$\frac{1}{4}$	One fourth / a quarter
$\frac{3}{4}$	Three fourths / three quarters
$3\frac{1}{2}$	Three and a half
$\frac{120}{511}$	One hundred twenty over five hundred eleven / one hundred twenty divided by five hundred eleven / one twenty divided by five eleven

Powers and roots

a^2	a squared
b^3	b cubed
a^4	a to the fourth power
a^{-5}	a to the negative fifth
a^{n-b}	a to the n minus b
$\frac{a^6}{b^3}$	a to the six divided by b cubed
\sqrt{x}	The square root of x
$\sqrt[n]{x}$	The n th root of x

Note: In $\sqrt[n]{x}$, $\sqrt{\quad}$ is called radical (sign). The inside radical is radicand. n is named the index of the root.

Proportion

$3 : 9 = 1 : 3$	Three is to nine as one is to three; The ratio of three to nine equals that of one to three; The two ratios between three to nine and one to three are equal.
-----------------	---

Equations with parentheses and brackets

$\left(1 - \frac{4}{5}\right) \cdot 2\frac{1}{3}$	One minus four fifths, and all multiplied by 2 and one third
$x = c \left\{ a \left[\frac{z}{Z} \left(d - \frac{1}{y - Y^2} \right) \right] \right\}$	x equals c (open) curly bracket a (open) bracket small z over large Z (open) parenthesis d minus one over the quantity of small y minus large Y squared, (close) parenthesis (close) bracket and curly bracket
$x = ab^{n-1} + a^2b^{n-2} + \dots + a$	x equals a times b to the n minus one (power) plus a squared times b to the n minus two (power) down to a to the n (th) (power)

Note: A pair of “large” and “small” correspond to a pair of “big” and “little”, respectively, when you describe the cases of variables.

Mathematical symbols and other expressions

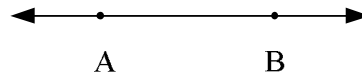
\sim	Similar
\cong	is congruent to
\equiv	is identical to
\approx	is approximately equal to
\neq	is not equal to
$>$	is greater than
$<$	is less than
∞	Infinity
\therefore	Therefore
\because	Because
$a \propto b$	a is proportional to b ; a varies as b
i	Imaginary unit
\vec{A}	Vector A
\bar{A}	A bar
$ x $	Absolute value of x
Δy	Delta y ; An increment of y
$f(x)$	Function of x ;

	f of x
dx	The differential of x ; dx
$\frac{dx}{dt}$	dx dt; derivative of x with respect to time
x', x'', x'''	x prime, x double prime, and x triple prime (Note that in Britain it is called dash.)
$\sum_{n=1}^k y_n$	The sum from n equals one to k of x sub(script) n
$\int_a^b g(x)dx$	The integral from a to b of the function g of x

Definitions of line, ray, and segment

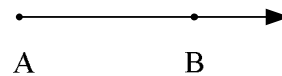
Line: Both directions without end

\overleftrightarrow{AB}



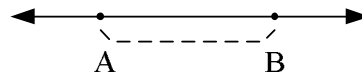
Ray: One end point with one direction of line

\overrightarrow{AB}



Segment: The part of a line with two end points

\overline{AB}



$\overline{AB} \parallel \overline{CD}$	The ray AB is parallel to the ray CD
$\overline{AB} \perp \overline{CD}$	The segment AB is perpendicular to the segment CD